Name: $\qquad$
Date: $\qquad$ Period: $\qquad$

Solve.
1.) $2+5(4 x-3)-5(x-7)=2(3 x+6)-4 x$
2.) $\frac{3}{4 x-1}=\frac{5}{2 x+3}$
3.) $\frac{3(a-b)}{c}=4$; Solve for $a$.
4.) $\frac{1}{6} x-\frac{3}{2}=\frac{5}{12} x-2$
5.) Mr. Bruell loves picking apples. Back in his prime, he could pick 732 in $1 \frac{1}{2}$ hours. That's right!! 732 apples in 1 hour and 30 minutes!!! If that is the case, how many could he pick if he spent 8 hours picking apples?
6.) Write an equation in slope - intercept form given the line passes through the points $(-1,-3)$ and $(-2,6)$.
7.) Write an equation in slope-intercept form that is parallel to your equation in \#6 and passes through the point $(2,-7)$.
8.) Write an equation in slope-intercept form that is perpendicular to your equation in \#6 and passes through the point ( $-9,1$ ).
9.) Graph each equation from numbers 6,7 , and 8 . Label each one respectively $A, B$, and $C$.

Equation from \#6: $\qquad$ . Label A

$$
m=\ldots \quad b=
$$

Equation from \#7: $\qquad$ . Label B

$$
m=\ldots \quad b=
$$

Equation from \#8: $\qquad$ . Label C

$$
m=\ldots \quad, b=
$$


10.) Mr. Falinski is looking to rent a motorcycle so of course he visits Mr. Lee's House of Choppers. Mr. Lee tells him if he rents a bike for 5 months it will be $\$ 475$. If he rents it for 9 months it will cost $\$ 695$. Set up an equation to model this situation then find out how much Mr. Falinski has paid after a year.
(A) Find a linear equation for the total cost. Let $x=$ the number of months and $y=$ the total cost.
(B) Using a complete sentence, explain what the slope means in terms of the content.
(C) How much will the total cost be if he rents the bike for $1 \frac{1}{2}$ years?
(D) How many months will he have the motorcycle if the total cost is $\mathbf{\$ 1 , 3 0 0}$.
(E) Write a linear equation that is parallel to your linear equation in (A) where a customer rents for 4 months at a total cost of $\$ \mathbf{7 2 0}$.
(F) Write a linear equation that is perpendicular to your linear equation in (A) where a customer rents for 55 months at a monthly cost of \$5000.

